

Lexical analyses

↓: Hintikka (1969), Forbes (2003), Zimmermann (2004a)

↑: Montague (1969), Zimmermann (1993)

crit ↓	type →	Quantifier: $seek'(x_e, \mathbb{Q}_{(et)t}) \equiv \dots$	Property: $seek'(x_e, P_{et}) \equiv \dots$
Hintikka		$\lambda p_{st} \square [\forall p \rightarrow (\mathbb{Q}y) \mathbf{F}(x,y)] (\mathbf{T}(x))$	$\lambda p_{st} \square [\forall p \rightarrow (\exists y) [P(y) \wedge \mathbf{F}(x,y)]] (\mathbf{T}(x))$
Success		$\lambda p_{st} \square [(\mathbb{Q}y) \mathbf{F}(x,y) \rightarrow \forall p] (\mathbf{T}(x))$	$\lambda p_{st} \square [(\exists y) [P(y) \wedge \mathbf{F}(x,y)] \rightarrow \forall p] (\mathbf{T}(x))$
Match		$\lambda p_{st} \square [\forall p \leftrightarrow (\mathbb{Q}y) \mathbf{F}(x,y)] (\mathbf{T}(x))$	$\lambda p_{st} \square [\forall p \leftrightarrow (\exists y) [P(y) \wedge \mathbf{F}(x,y)]] (\mathbf{T}(x))$
Fuzzy		$\lambda p_{st} \square [\forall p \rightarrow (\mathbb{Q}y) F_{\mathbb{Q}}(x,y)] (T_{\mathbb{Q}}(x))$	$\lambda p_{st} \square [\forall p \rightarrow (\exists y) [P(y) \wedge T_{\mathbb{Q}}(x,y)]] (T_{\mathbb{Q}}(x))$
whatever		<i>your favourite analysis goes here</i>	<i>... or here</i>

Problems with ...

... Monotonicity

Zimmermann (2004a)

Günther is looking for a book on Italian cooking.
 ∴ **Günther is looking for a book.**

↑ monotonicity inference
to be explained

Günther is looking for a book on Italian cooking.
 ∴ **Günther is looking for a book.**

↓ monotonicity inference
to be avoided

Günther is looking for a book on Italian cooking.
Eric is looking for something.
 ∴ **Günther is looking for something Eric is looking for.**

Monotonicity Problem

to be avoided (or explained away)
opaque objects as quantifiers
... or properties

$$(\exists \mathbb{Q}_{(et)t}) [seek'(e, \mathbb{Q}) \wedge seek'(g, \mathbb{Q})]$$

$$(\exists P_{et}) [seek'(e, P) \wedge seek'(g, P)]$$

... Specificity

Carlson (1977)

Günther is looking for a book on Italian cooking.
Günther is looking for books on Italian cooking.

specific /unspecific
specific/unspecific

... Number

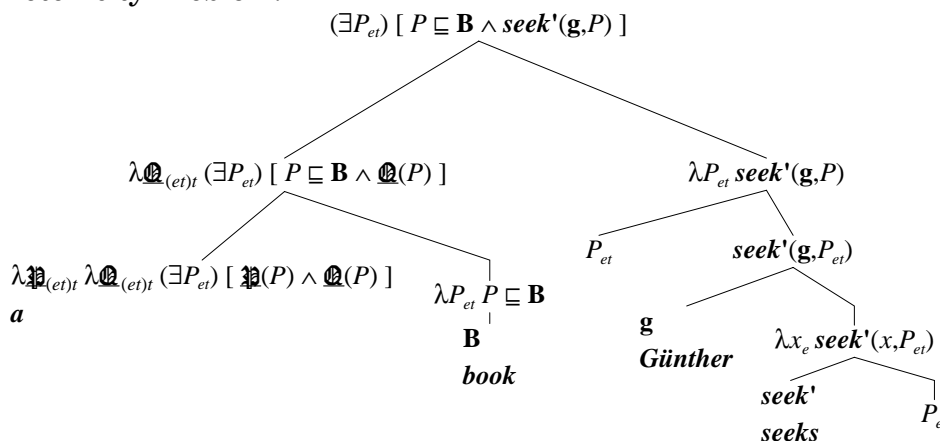
Zimmermann (2004b)

Günther is looking for a book on Italian cooking.
Günther is looking for books on Italian cooking.

1's enough
1's not enough – or is it?

Solution to ...

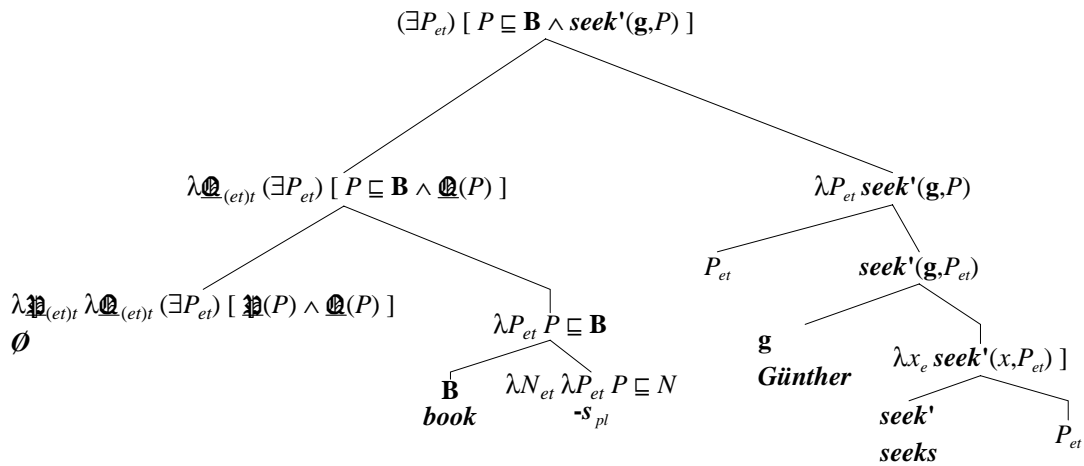
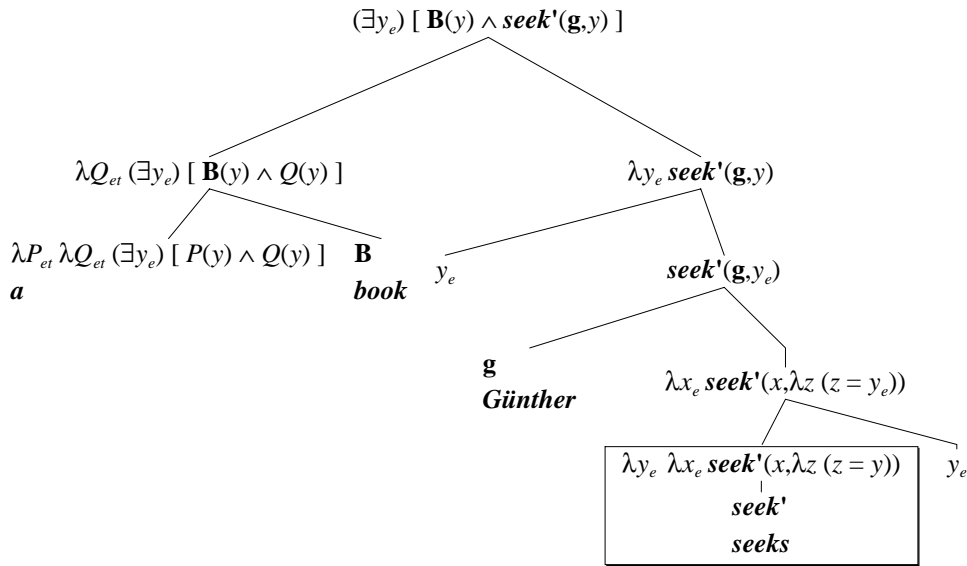
... Monotonicity Problem:



(+ lexical analysis MP)

☞ $P \sqsubseteq N \equiv \square (\forall y) [P(y) \rightarrow N(y)]$

... Specificity Problem:



... Number Problem:

$$a^{+1} = \lambda \mathbb{P}_{(et)t} \lambda \mathbb{Q}_{(et)t} (\exists P_{et}) [\Sigma(P) \wedge \mathbb{Q}(P) \wedge \mathbb{Q}(P)]$$

$$\emptyset_{pl}' = \lambda \mathbb{P}_{(et)t} \lambda \mathbb{Q}_{(et)t} (\exists P_{et}) [\Pi(P) \wedge \mathbb{Q}(P) \wedge \mathbb{Q}(P)]$$

$$seek' = \lambda P_{et} \lambda x_e \lambda p_{st} \square [\forall p \leftrightarrow (\forall y_e) [P(y) \rightarrow \mathbf{F}(x,y)]] (\mathbf{T}(x))$$

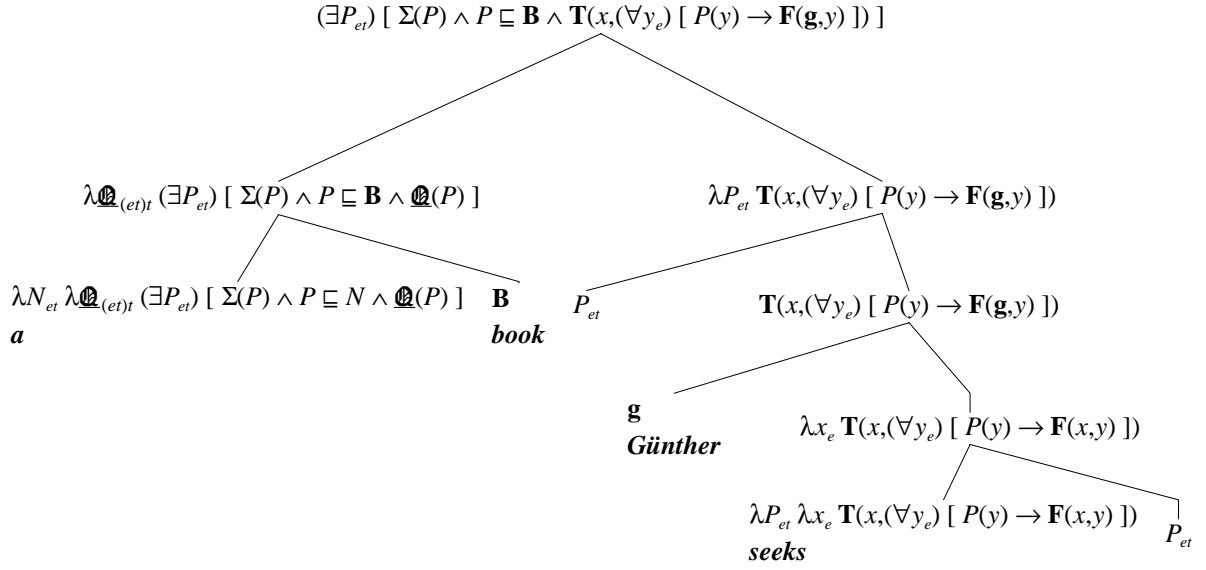
$$\equiv \lambda P_{et} \lambda x_e \mathbf{T}(x, (\forall y_e) [P(y) \rightarrow \mathbf{F}(x,y)])$$

$$find' = \mathbf{F}$$

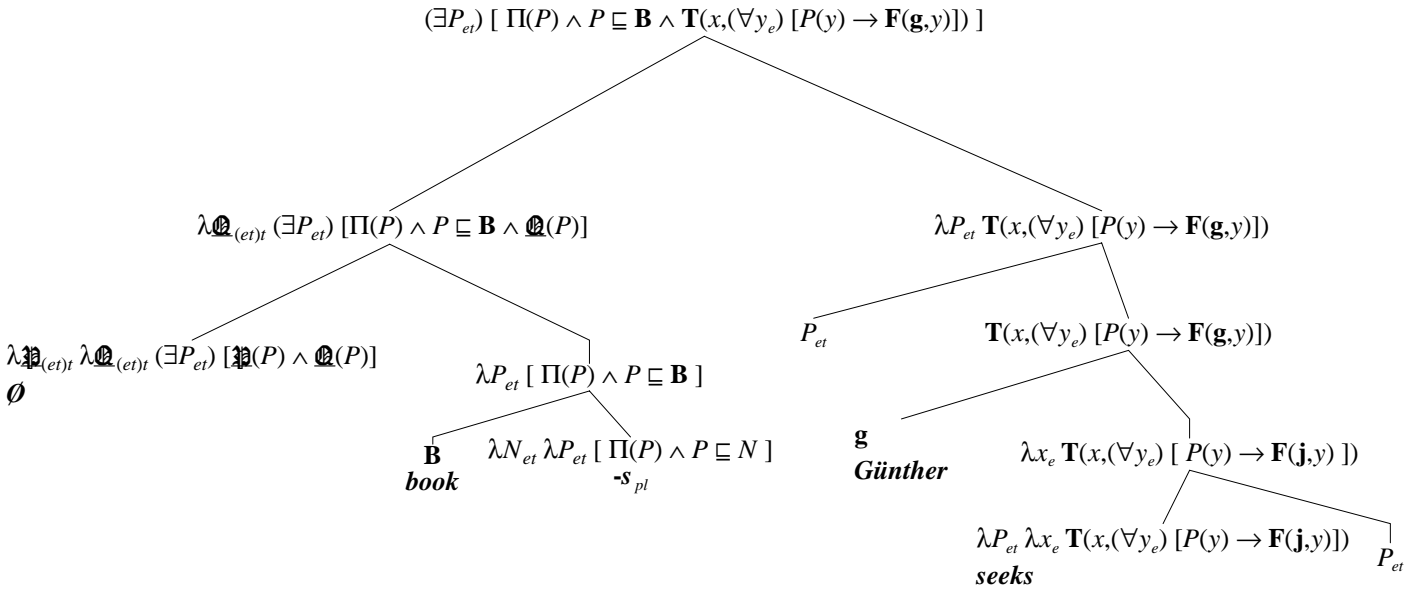
more orthodox reformulation]

$$\Rightarrow \Sigma(P) \equiv \square (\exists y) (\forall z) [P(z) \leftrightarrow z = y]$$

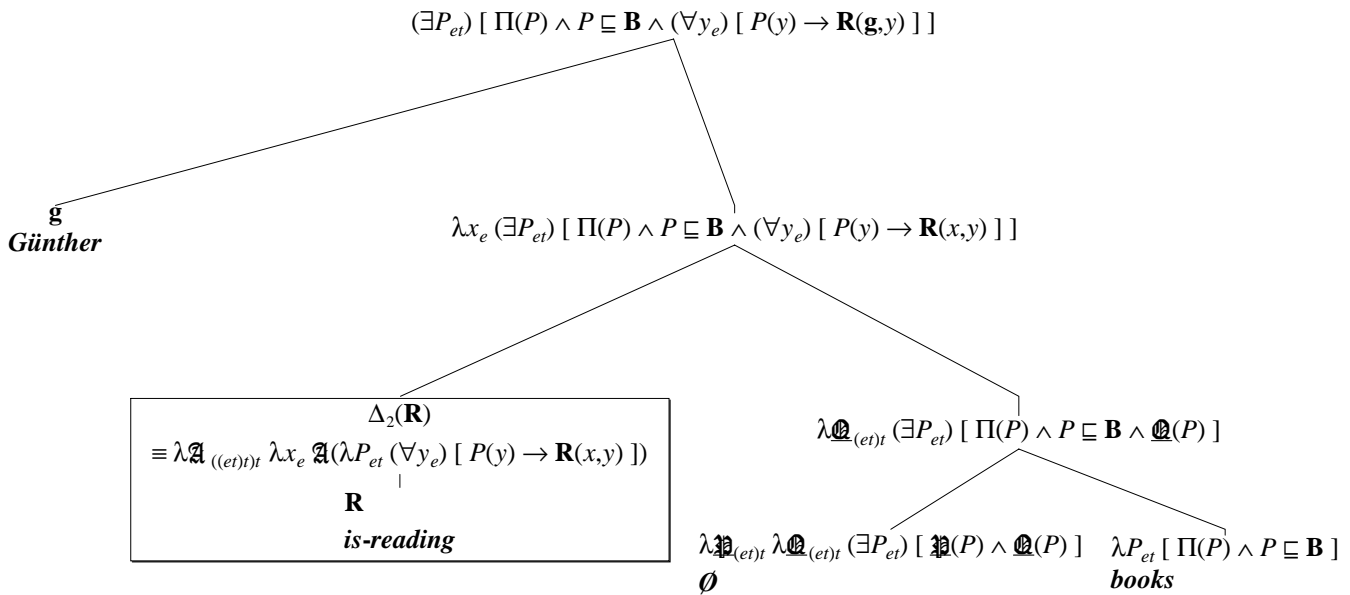
$$\Rightarrow \Pi(P) \equiv \square (\forall y) [P(z) \rightarrow (\exists z) [Q(z) \wedge z \neq y]]$$



$$\begin{aligned}
& (\exists P_{et}) [\underline{\Sigma(P)} \wedge P \sqsubseteq \mathbf{B} \wedge \mathbf{T}(x, (\forall y_e) [P(y) \rightarrow \mathbf{F}(j, y)])] \\
\equiv & (\exists P_{et}) [\square (\exists y) (\forall z) [P(z) \leftrightarrow z \equiv y] \wedge \underline{P \sqsubseteq \mathbf{B}} \wedge \mathbf{T}(x, (\forall y_e) [P(y) \rightarrow \mathbf{F}(j, y)])] \\
\equiv & (\exists P_{et}) [\square (\exists y) (\forall z) [P(z) \leftrightarrow z = y] \wedge \underline{\square (\forall y) [P(y) \rightarrow \mathbf{B}(y)]} \wedge \mathbf{T}(x, (\forall y_e) [P(y) \rightarrow \mathbf{F}(j, y)])]
\end{aligned}$$



$$\begin{aligned}
& (\exists P_{et}) [\underline{\Pi(P)} \wedge P \sqsubseteq \mathbf{B} \wedge \mathbf{T}(x, (\forall y_e) [P(y) \rightarrow \mathbf{F}(g, y)])] \\
\equiv & (\exists P_{et}) [\underline{\Pi(P)} \equiv \square (\forall y) [P(z) \Rightarrow (\exists z) [\underline{Q(z)} \wedge z \neq y]] \wedge \underline{P \sqsubseteq \mathbf{B}} \wedge \mathbf{T}(x, (\forall y_e) [P(y) \rightarrow \mathbf{F}(g, y)])]
\end{aligned}$$



References

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